

International School of Space Science

Non-standard Physics in Light of CMB Experiments



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Introduction

- New Physics in Neutrino sector: the Neutrino Background Anisotropies as constrained by Planck
- New Physics in Inflation sector: the blue tensor spectrum as constrained by BICEP2
- Conclusions

Neutrino Anisotropies

$$\dot{\delta}_\nu = \frac{\dot{a}}{a} \left(1 - 3c_{\text{eff}}^2\right) \left(\delta_\nu + 3\frac{\dot{a}}{a}\frac{q_\nu}{k}\right) - k \left(q_\nu + \frac{2}{3k}\dot{h}\right)$$

Effective sound speed

$$\dot{q}_\nu = k c_{\text{eff}}^2 \left(\delta_\nu + 3\frac{\dot{a}}{a}\frac{q_\nu}{k}\right) - \frac{\dot{a}}{a}q_\nu - \frac{2}{3}k\pi_\nu$$

Viscosity parameter

$$\dot{\pi}_\nu = 3c_{\text{vis}}^2 \left(\frac{2}{5}q_\nu + \frac{8}{15}\sigma\right) - \frac{3}{5}kF_{\nu,3}$$

$$\frac{2l+1}{k}\dot{F}_{\nu,l} - lF_{\nu,l-1} = -(l+1)F_{\nu,l+1} \quad l \geq 3$$

Density contrast

Euler equation

Anisotropic stress

Higher-order distribution function moments

Expected values for standard, non-interacting NRB:

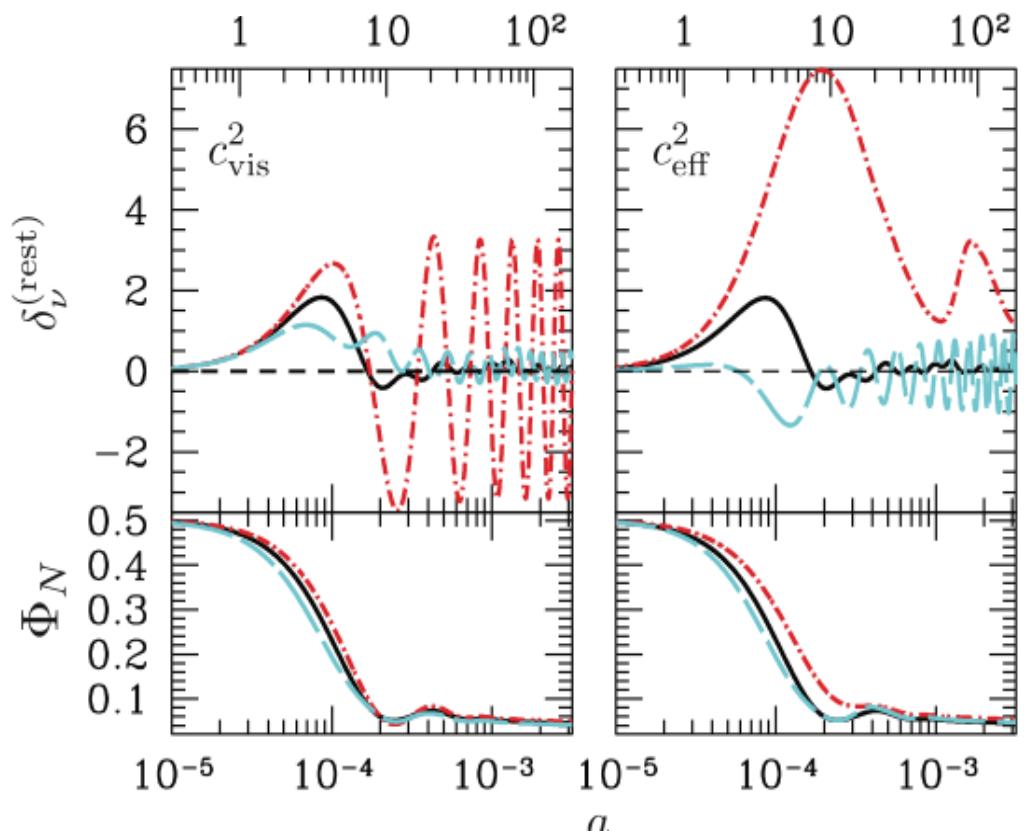
$$c_{\text{eff}}^2 = \frac{1}{3}$$

$$c_{\text{vis}}^2 = \frac{1}{3}$$

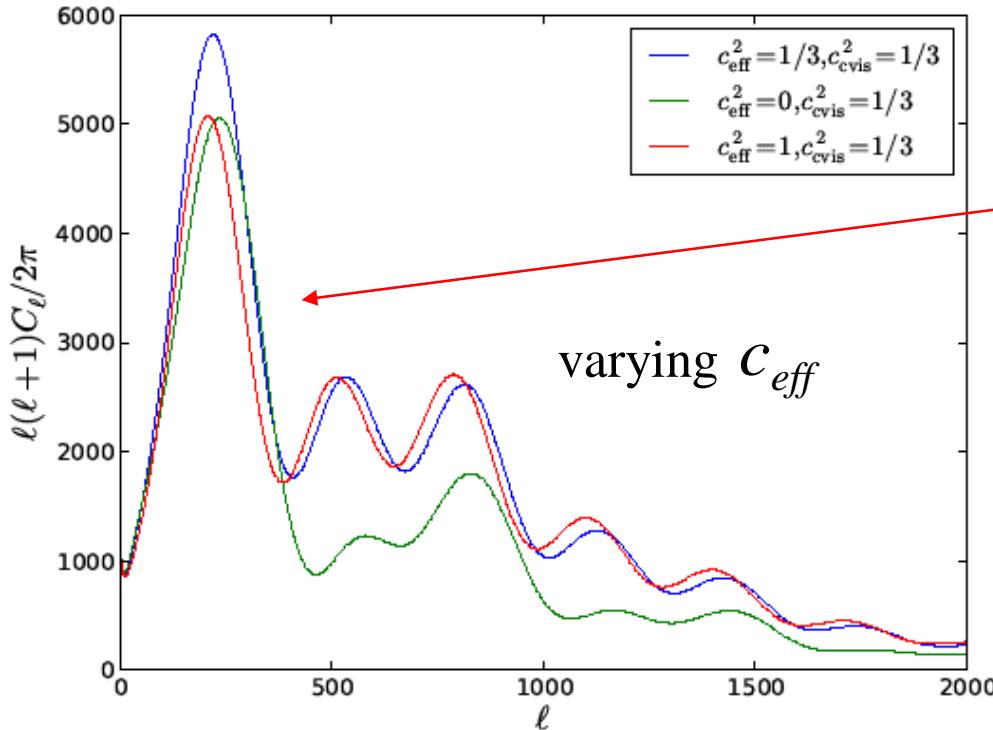
W. Hu, *Astrophys. J.* 506, 485 (1998)

R. Trotta and A. Melchiorri, *Phys. Rev. Lett.* 95 (2005) 011305

M. Archidiacono, E. Calabrese and A. Melchiorri, *Phys. Rev. D* 84, 123008 (2011)

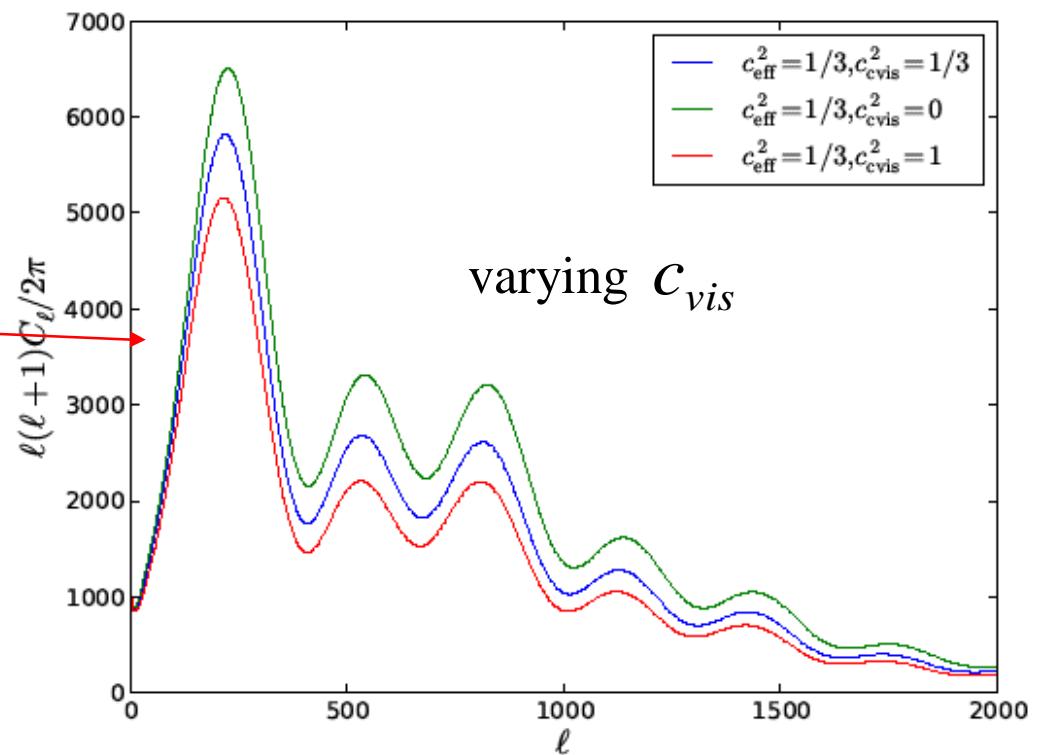


Impact on TT power spectrum



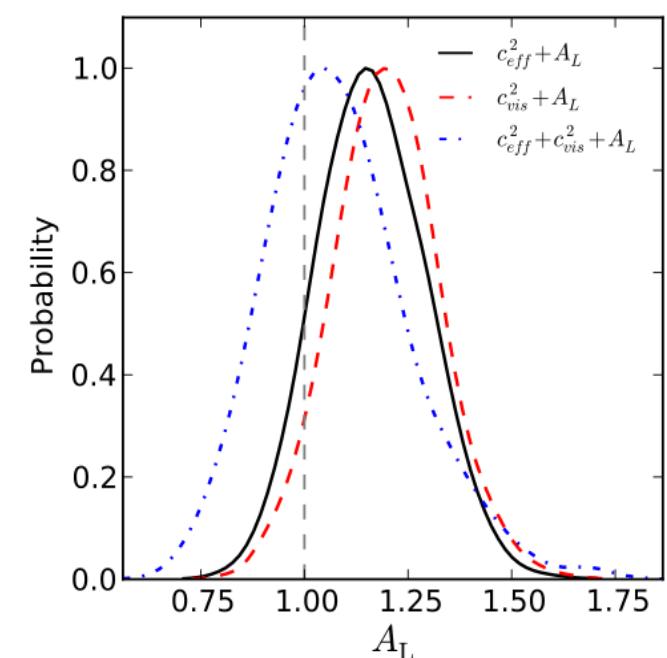
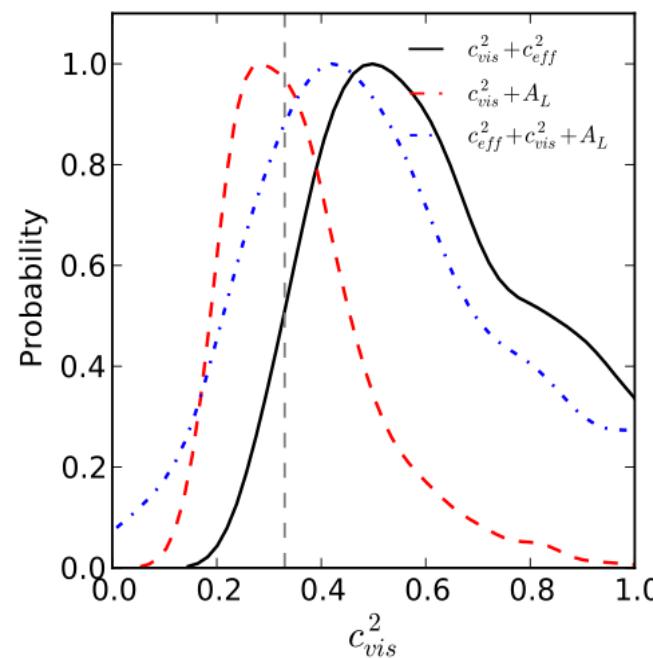
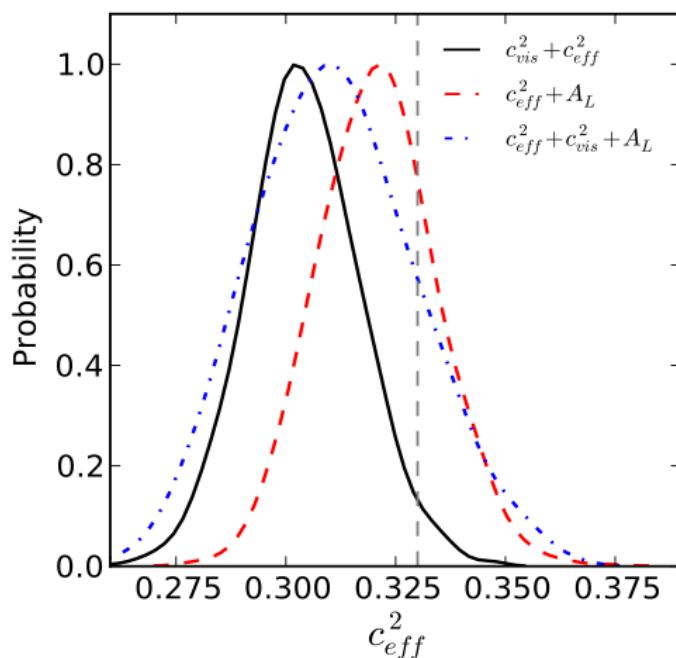
- Scale dependence
- Slight correlation with other parameters
- Tighter constraints

- Scale-free modifications
- Strong correlation with other parameters
- Milder constraints



Constraints from Planck

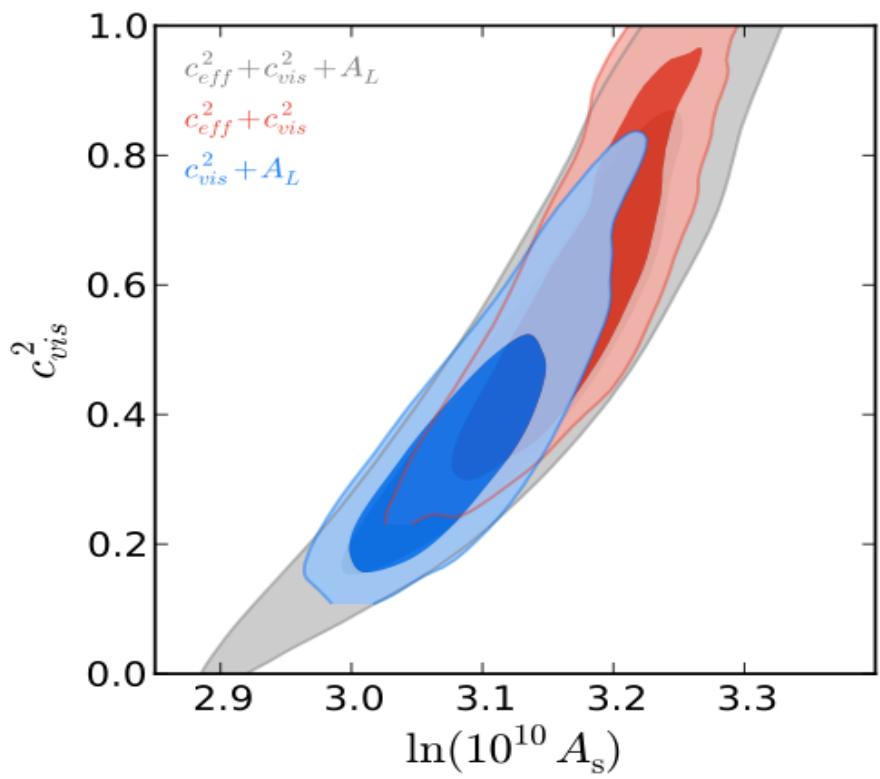
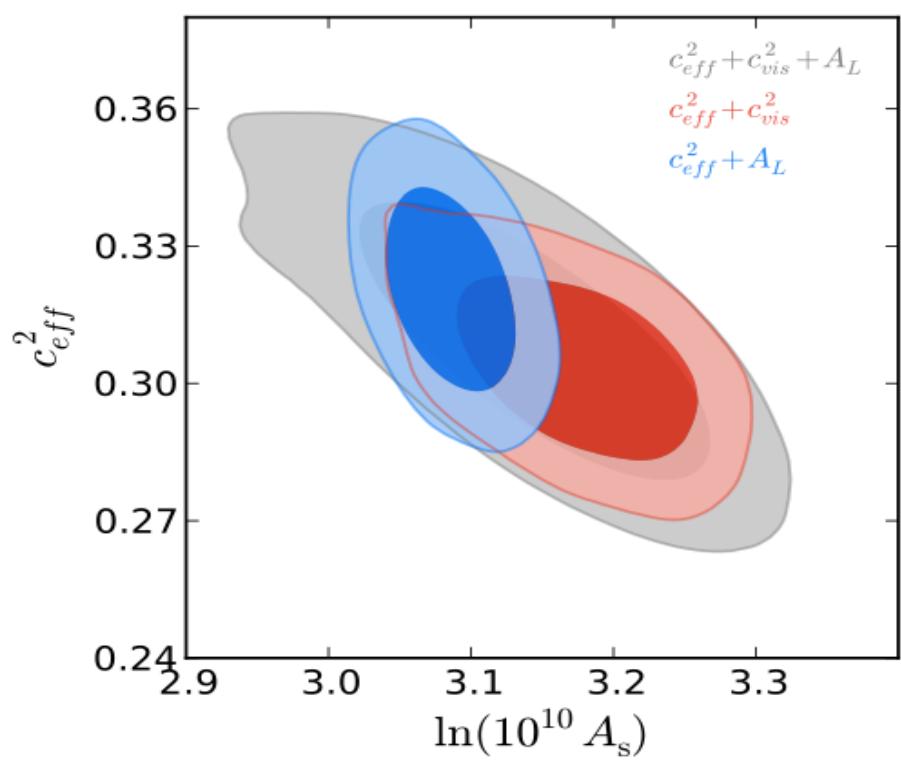
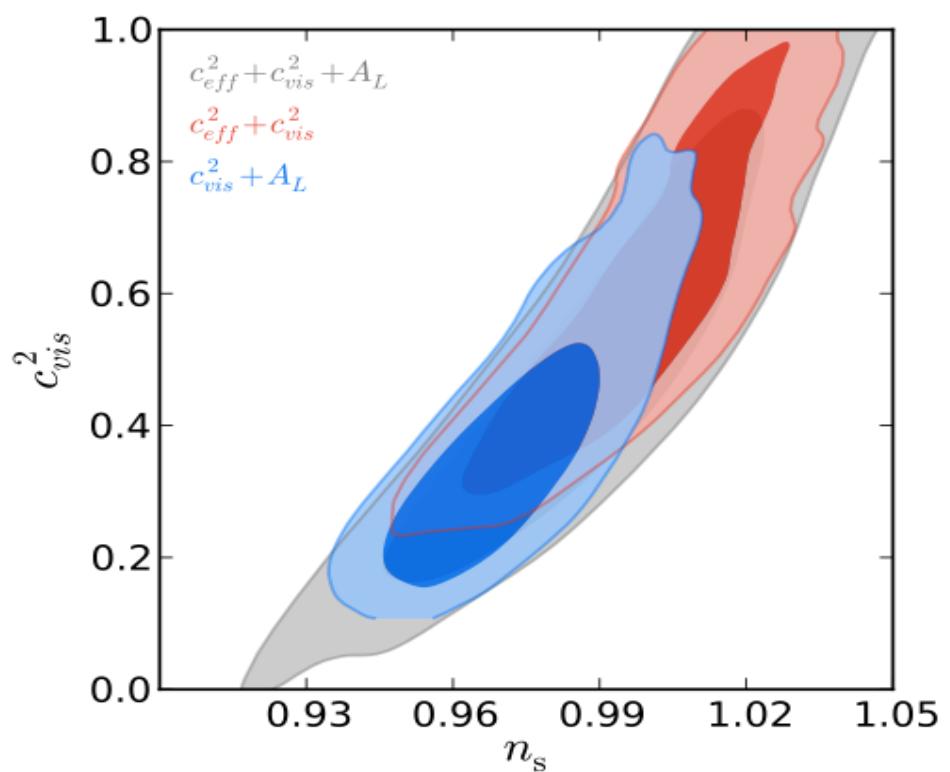
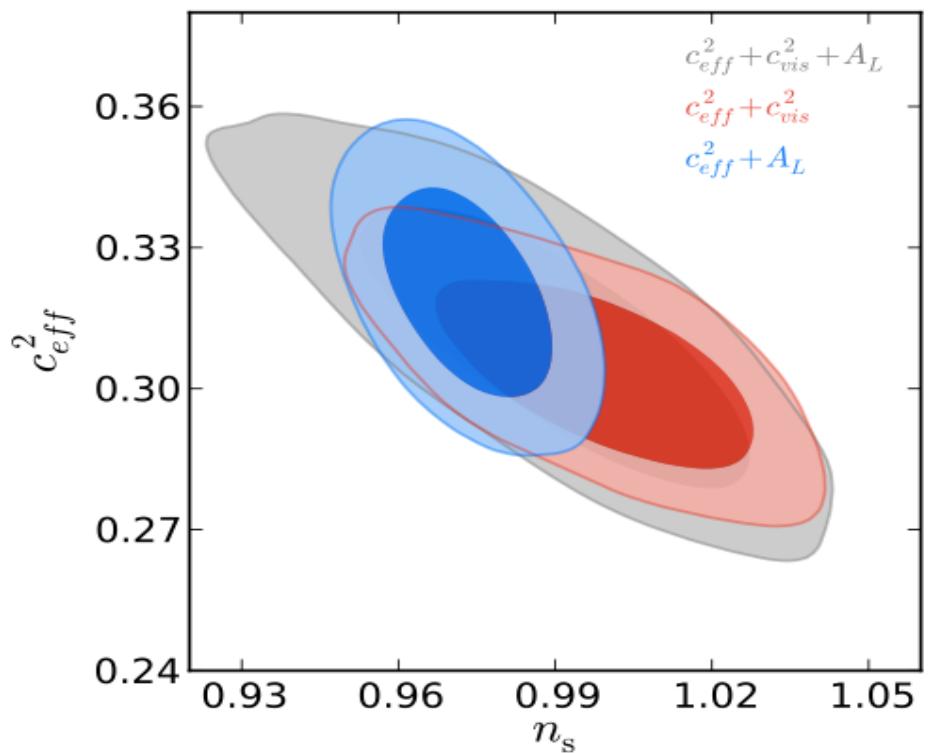
Parameter	Λ CDM	$+c_{\text{vis}}^2 + c_{\text{eff}}^2$	$+c_{\text{eff}}^2 + A_L$	$+c_{\text{vis}}^2 + A_L$	$+c_{\text{eff}}^2 + c_{\text{vis}}^2 + A_L$
$100 \Omega_b h^2$	2.206 ± 0.028	2.118 ± 0.047	2.219 ± 0.045	2.236 ± 0.053	2.162 ± 0.095
$\Omega_c h^2$	0.1199 ± 0.0027	0.1157 ± 0.0038	0.1177 ± 0.0032	0.1170 ± 0.0034	0.1159 ± 0.0036
100θ	1.0413 ± 0.0006	1.0412 ± 0.0014	1.0428 ± 0.0012	1.0421 ± 0.0019	1.0420 ± 0.0020
$\log[10^{10} A_S]$	3.089 ± 0.025	3.173 ± 0.052	3.086 ± 0.028	3.08 ± 0.05	3.141 ± 0.078
τ	0.090 ± 0.013	0.089 ± 0.013	0.088 ± 0.013	0.087 ± 0.013	0.089 ± 0.014
n_S	0.9606 ± 0.0073	0.998 ± 0.018	0.9732 ± 0.0099	0.970 ± 0.014	0.989 ± 0.023
A_L	$\equiv 1$	$\equiv 1$	1.16 ± 0.13	1.20 ± 0.12	1.08 ± 0.18
c_{vis}^2	$\equiv 0.33$	0.60 ± 0.18	$\equiv 0.33$	0.35 ± 0.12	0.51 ± 0.22
c_{eff}^2	$\equiv 0.33$	0.304 ± 0.013	0.321 ± 0.014	$\equiv 0.33$	0.311 ± 0.019
H_0	67.3 ± 1.2	68.0 ± 1.3	68.7 ± 1.5	68.9 ± 1.5	68.6 ± 1.7



Degeneracy with inflationary parameters

Parameter	Λ CDM	$+c_{\text{vis}}^2 + c_{\text{eff}}^2$	$+c_{\text{eff}}^2 + A_L$	$+c_{\text{vis}}^2 + A_L$	$+c_{\text{eff}}^2 + c_{\text{vis}}^2 + A_L$
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H_0 ^(a)	67.3 ± 1.2	68.0 ± 1.3	68.7 ± 1.5	68.9 ± 1.5	68.6 ± 1.7

- Worse constraints on inflationary parameters when varying $c_{\text{eff}}^2, c_{\text{vis}}^2$
- Scale-free spectrum at 1σ when varying jointly $c_{\text{eff}}^2, c_{\text{vis}}^2$



Tensor power spectrum

$$P_T = A_T \left(\frac{k}{k_0} \right)^{n_T}$$

Overall normalization amplitude

$$r = \frac{P_T}{P_S} \Big|_{k=k_0}$$

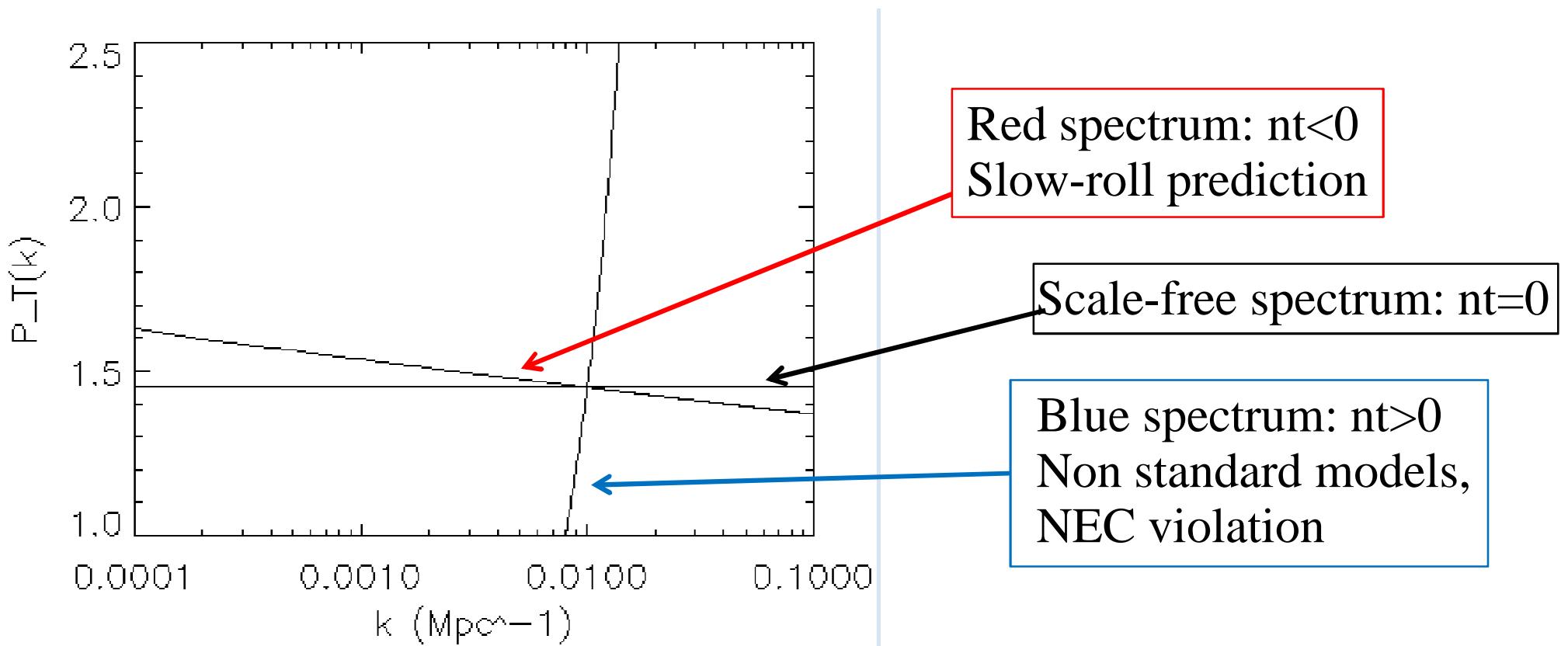
Inflation consistency relation

$$n_T = -r/8$$

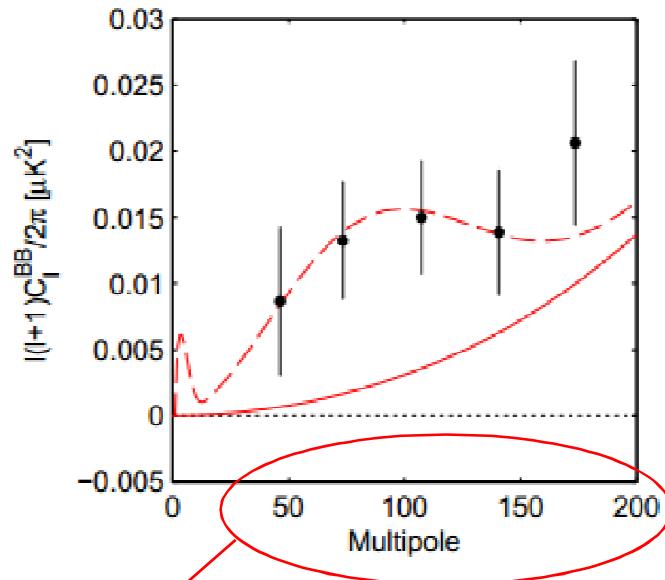
Inflation predicts a stochastic background of gravity waves

Tensor spectral index

$$n_T = -2\epsilon, \quad \epsilon = -\frac{\dot{H}}{H^2}$$

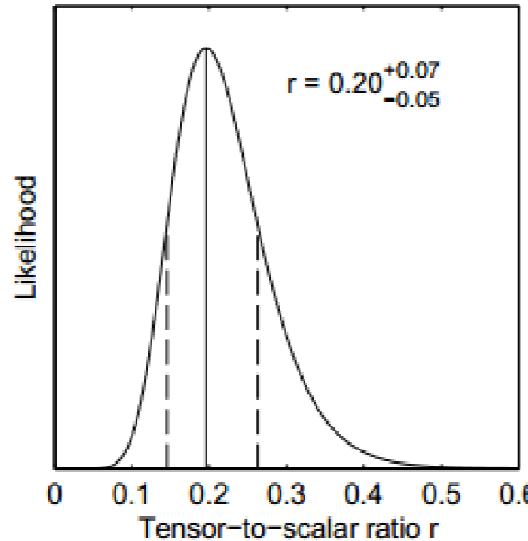


Why Blue Gravity Waves?



$$k_0 \approx 0.01 \text{ Mpc}^{-1}$$

$$r_{0.002} < 0.11 \text{ (95\%)}$$



BICEP2 detection
BICEP2 collaboration,
arXiv:1403.3985

VS

Planck (and others) indirect constraint from
TT power spectrum
Planck collaboration XVI, arXiv:1303.5076



The angular scales tested by BICEP2 are
smaller than the angular scales used by Planck
for constraining r!!!

Need for more power at smaller angular scales

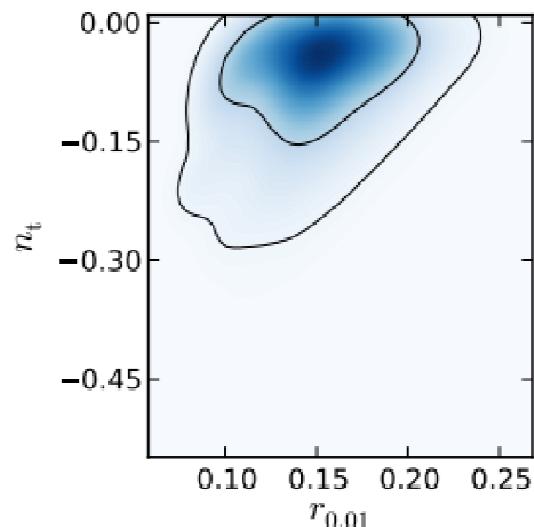
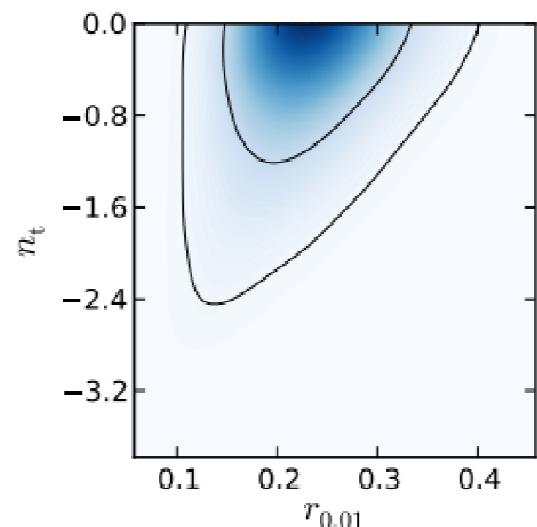
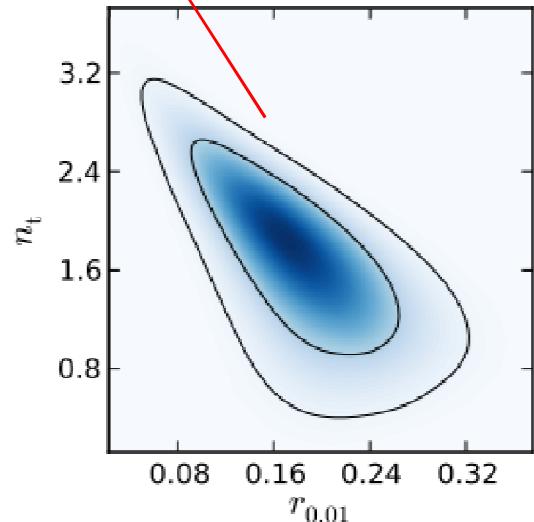
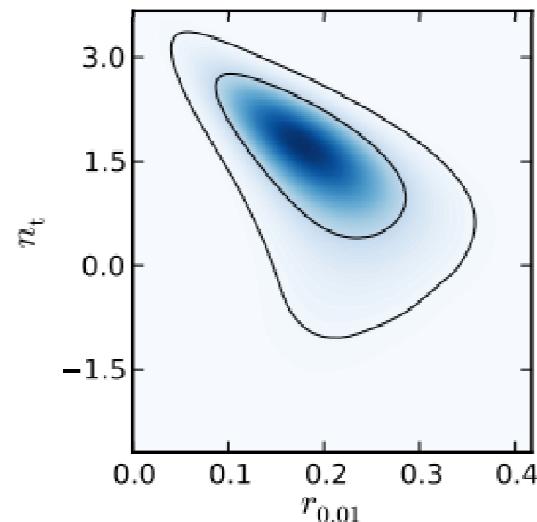
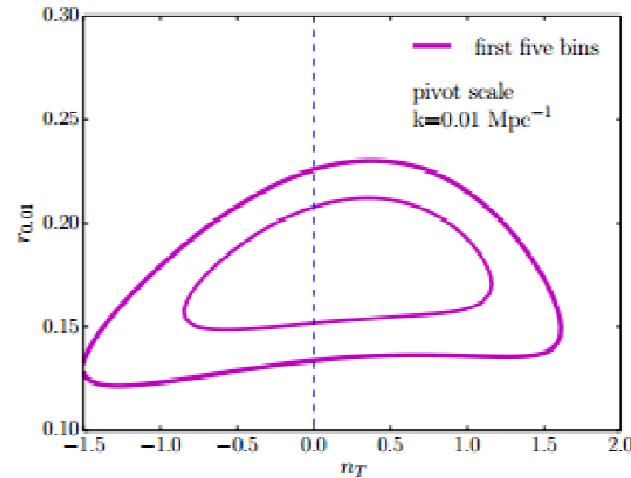
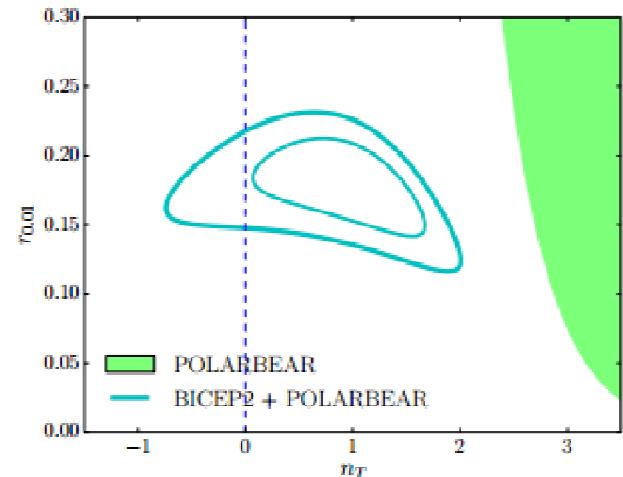
Fitting BICEP2 data with a blue tensor power spectrum

Case	$r_{0.01}$	n_T
n_T free	0.19 ± 0.06	1.36 ± 0.83
TT prior+ n_T free	0.18 ± 0.05	1.67 ± 0.53
$n_T < 0$	0.22 ± 0.06	$n_T > -0.76$
TT prior+ $n_T < 0$	0.15 ± 0.03	$n_T > -0.09$

MG,Marchini,Pagano,Salvati,Di Valentino,
Melchiorri, arXiv:1403.5732

nt=0 excluded
at more than 95%

$r < 0.11$ at $k = 0.002 \text{ Mpc}^{-1}$



Is it the right answer?

Combination with direct upper limits from

- **Pulsar timing**

$$h^2 \Omega_{\text{gw}} < 2 \cdot 10^{-8} \text{ @ } 4 \cdot 10^{-9} \text{ Hz}$$

- **LIGO experiment**

$$\Omega_{\text{gw}} < 6.9 \cdot 10^{-6} \text{ @ } 100 \text{ Hz}$$

- **Big Bang Nucleosynthesis**

$$\int \Omega_{\text{gw}} d(\ln f) < 1.1 \cdot 10^{-5} (\text{N}_V - 3)$$

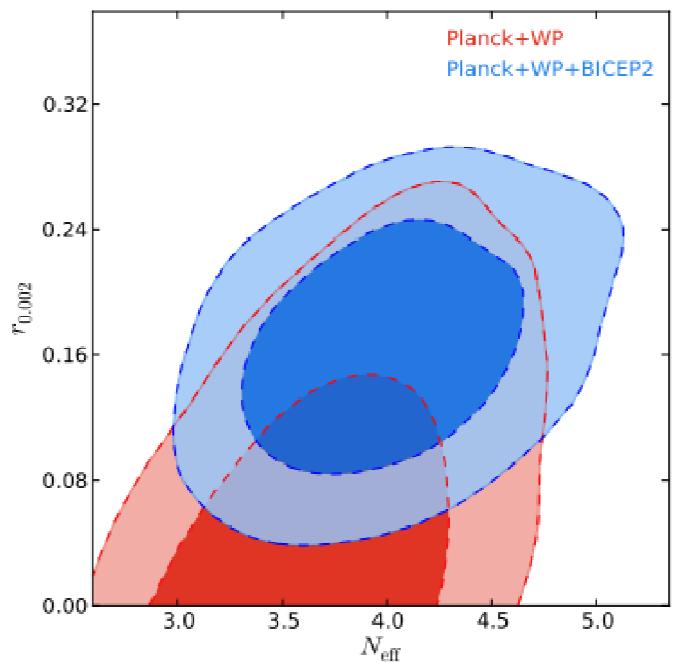
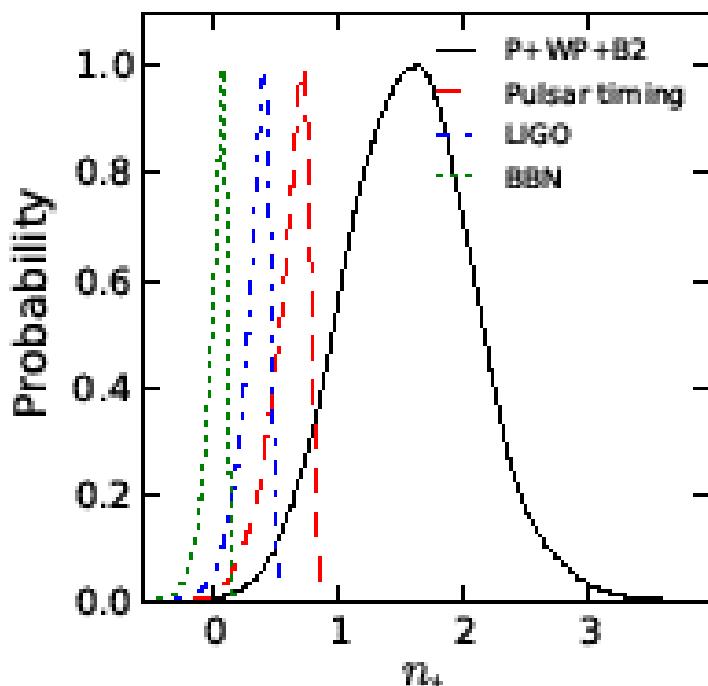
MG,Marchini,Pagano,Salvati,Di Valentino,Melchiorri,arXiv:1403.5732

LIGO collaboration, *Nature* **460**, 990-994

Stewart and Brandenberger, *JCAP* 0808, 012 (2008)

Dataset	Parameter	HZ +ns +r +n _{run}
eSPT	$100 \Omega_b h^2$	2.272 ± 0.036
	$\Omega_c h^2$	0.1178 ± 0.0018
	100θ	1.0424 ± 0.0009
	$\log[10^{10} A_S]$	3.04 ± 0.07
	τ	0.095 ± 0.015
	n_S	1.107 ± 0.045
	r	0.28 ± 0.16
	n_{run}	-0.051 ± 0.015
	H_0 ^(a)	69.51 ± 0.78
		$-2 \log \mathcal{L}$ ^(b)
		7615.9
		$\Delta \chi^2$ ^(c)
		-37.5

nt>0
 could not be the only
 answer
 A hint for need
 for extra parameters



Giusarma,Di Valentino,Lattanzi,Melchiorri,Mena,
arXiv: 1403.4852

Conclusions

- 1) Era of precision cosmology: we can test non standard physics with high accuracy
- 2) Neutrino anisotropies: expected values restored if parameters are varied jointly; degeneracy between clustering and inflationary parameters is a hint for new physics or unaccounted systematics?
- 3) BICEP2 measurements at odds with current CMB constraints on r : need for revising standard models (blue gravity waves? Extra degrees of freedom? Running of spectral index?)

For further questions:
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